Analog Electronics ENEE236

Operational Amplifiers

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Operational Amplifiers

- Early Operational Amplifiers were constructed with vacuum tubes and were used in analog computers to perform mathematical operations.
- Even as late as 1965, vacuum tube operational amplifiers were still in use and cost in the range of \$75.
- These days, they are linear Integrated circuits (IC) that use low voltage dc supplies , they are reliable and inexpensive
- The operational amplifier has become so cheap in price (often less than \$1.00 per unit) and it can be used in so many applications









Operational Amplifiers

- In this course we will be concerned with <u>how to</u> <u>use the op amp as a device.</u>
- The internal configuration (design) is beyond the scope of our study and can be covered in an advanced electronics course.
- The complexity is illustrated in the following block diagram and detailed circuit.







Operational Amplifiers

Fortunately, we do not have to *assemble* a circuit with so many transistors and resistors in order to get and use the op amp

The circuit in the previous slide is usually encapsulated into a dual in-line pack (DIP).

For a single LM741, the pin connections for the chip are shown below.





































Operational Amplifiers

From Equations (3) and (4) we find;

$$\boldsymbol{V}_{o} = -3.99 \boldsymbol{V}_{in} \tag{5}$$

This is an expected answer.

Fortunately, we are not required to do elaborate circuit analysis, as above, to find the relationship between the output and input of an op amp. Simplifying the analysis is our next consideration.

Operational Amplifiers Models

For most operational amplifiers, R_i is 1 Meg Ω or larger and R_o is around 50 Ω or less. The open-loop gain, A, is greater than 100,000.

Ideal Op Amp Model:

The following assumptions are made for the ideal op amp.

1. Infinite open-loop gain; $\Rightarrow A \cong \infty$

2. Zero output ohms; $\Rightarrow R_0 = 0$

3. Infinite input ohms; $\Rightarrow R_i = \infty$













OP-AMPS WITH NEGATIVE FEEDBACK

The two basic amplifier circuits with negative feedback are:

- The non-inverting Amplifier.
- The inverting Amplifier

(Note: Negative feedback is used to limit the gain)











































Instrumentation Amplifier

- The previous difference amplifier has low input impedance and it is difficult to vary the gain "m"
- The instrumentation amplifier solves this problem by adding a buffer stage and a difference amplifier stage to solve the disadvantages of difference amplifier























$$\begin{split} \frac{100k}{(2700+100)k} (10V) + \frac{2700k}{(2700+100)k} (V_i) > 4V \\ \left(V_i\right) > \left[4V - \left(\frac{100k}{(2700+100)k} (10V)\right) \right] \left[\frac{(2700+100)k}{2700k} \right] \Longrightarrow V_i > 3.777 V \\ \text{when } V_i > 3.777 \Rightarrow \text{Vo} = +Vsat; \text{ But when } V_i < 3.777 \Rightarrow \text{Vo switches to } -Vsat \\ 2) \text{ let } V_o = -Vsat = (0+2) = 2V \\ \text{in order for Vo to be } -\text{Vsat} \Longrightarrow \text{Vd} < 0 ; \therefore \text{V}(+) < \text{V}(-) \\ V(+) = \frac{100k}{(2700+100)k} (-Vsat) + \frac{2700k}{(2700+100)k} (V_i) \\ \frac{100k}{(2700+100)k} (-Vsat) + \frac{2700k}{(2700+100)k} (V_i) < 4V \\ \left(V_i\right) < \left[4V - \left(\frac{100k}{(2700+100)k} (2V) \right) \right] \left[\frac{(2700+100)k}{2700k} \right] \Longrightarrow V_i < 4.074V \\ \text{when } V_i < 4.074V \Rightarrow \text{Vo} = -Vsat; \text{ But when } V_i > 4.074 \Rightarrow \text{Vo switches to } +Vsat \\ i \end{aligned}$$





Integrator

- So far, the input and feedback components have been resistors. If the feedback component used is a capacitor,, the resulting connection is called an *integrator*.
- Recall that virtual ground means that we can consider the voltage at the junction of *R* and X_c to be ground (since $V_c = 0$ V) but that no current goes into ground at that point.



Differentiator

A differentiator ,while not as useful as the circuit forms covered above, the differentiator does provide a useful operation, the resulting relation for the circuit being

















































